A review of modern code deobfuscation techniques

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About

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This presentation may contain traces of assembly and maths

Contents

- 1) Code obfuscation
- 2) Mixed Boolean-Arithmetic
- 3) Program synthesis
- 4) r2syntia
- 5) Conclusions





Context

Technical protection against Man-At-The-End (MATE) attacks, where the attacker/analyst **has an instance** of the program and completely **controls the environment** where it is executed.

Protection against end-users (MATE attackers)								
Legal	Technical							
	Obfuscation	Encryption	Server-Side Execution	Trusted Native Code				





What

Transformation from a program *P* into a **functionally equivalent** program *P'* which is **harder to analyze and to extract information** than from *P*.

$P \rightarrow \text{Obfuscation} \rightarrow P'$





Who

Software protection

Malware threats





Why

Prevent Complicate reverse engineering

Intellectual property: algorithms/protocols in commercial software Digital Rights Management: access to software or digital content

Avoid automatic signature detection
 Slow down analysis → time++ → money++





How

Apply a transformation to **mess** (complicate) the program's controlflow and/or data-flow at different **abstraction levels** (source code, compiled binary or an intermediate representation) and affecting different **target units** (whole program, function, basic block, instruction...).

Many *weak* techniques can be combined to create a *hard* obfuscation transformation.



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Obfuscation Transformation	Abstraction	Unit	Dynamics	Target
Opaque Predicates	All	Function	Static	Data constant
Convert static data to procedural data	All	Instruction	Static	Data constant
Mixed Boolean Arithmetic	All	Basic block	Static	Data constant
White-box cryptography	All	Function	Static	Data constant
One-way transformations	All	Instruction	Static	Data constant
Split variables	All	Function	Static	Data variable
Merge variables	All	Function	Static	Data variable
Restructure arrays	Source	Program	Static	Data variable
Reorder variables	All	Basic block	Static	Data variable
Dataflow flattening	Binary	Program	Static	Data variable
Randomized stack frames	Binary	System	Static	Data variable
Data space randomization	All	Program	Static	Data variable
Instruction reordering	All	Basic block	Static	Code logic
Instruction substitution	All	Instruction	Static	Code logic
Encode Arithmetic	All	Instruction	Static	Code logic
Garbage insertion	All	Basic block	Static	Code logic
Insert dead code	All	Function	Static	Code logic
Adding and removing calls	All	Program	Static	Code logic
Loop transformations	Source, IR	Loop	Static	Code logic
Adding and removing jumps	Binary	Function	Static	Code logic
Program encoding	All	All buy System	Dynamic	Code logic
Self-modifying code	All	Program	Dynamic	Code logic
Virtualization obfuscation	All	Function	Static	Code logic
Control flow flattening	All	Function	Static	Code logic
Branch functions	Binary	Instruction	Static	Code logic
Merging and splitting functions	All	Program	Static	Code abstraction
Remove comments and change formatting	Source	Program	Static	Code abstraction
Scrambling identifier names	Source	Program	Static	Code abstraction
Removing library calls and programming idioms	All	Function	Static	Code abstraction
Modify inheritance relations	Source, IR	Program	Static	Code abstraction
Function argument randomization	All	Function	Static	Code abstraction

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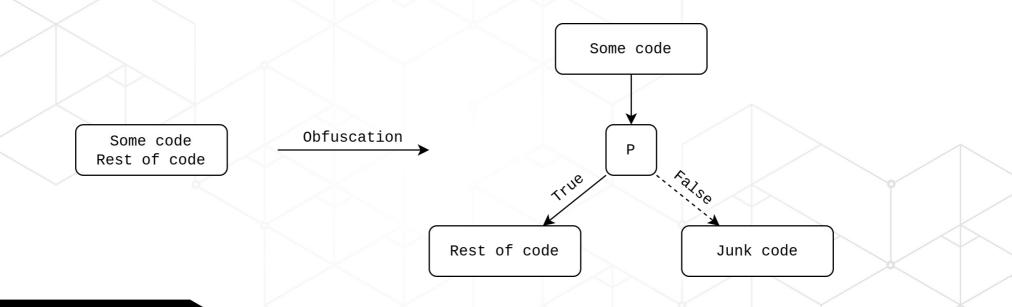
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Table 3: Overview of the classification of obfuscation transformations

Opaque predicates

An opaque predicate is a specially crafted boolean expression *P* that always evaluates to either true or false.







Control flow flattening

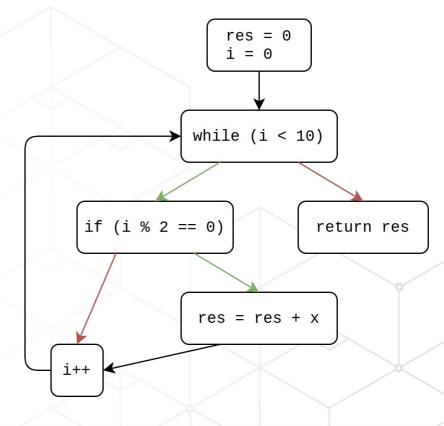
Change the structure of a function's Control Flow Graph by replacing all control structures with a central and unique dispatcher.





Control flow flattening

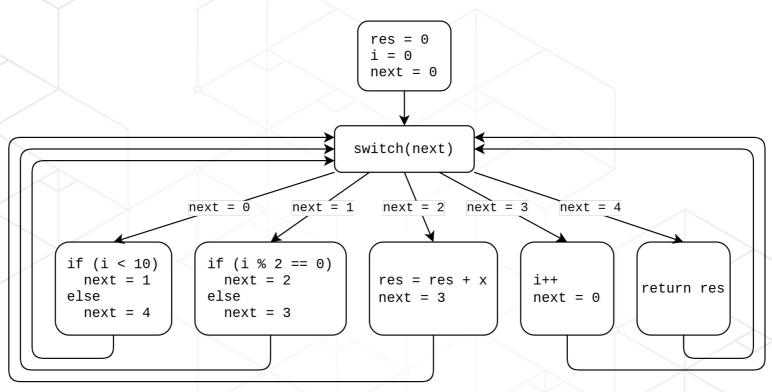
```
int f(int x) {
    int res = 0;
    int i = 0;
    while (i < 10) {
        if (i % 2 == 0)
            res = res + x;
            i++;
        }
        return res;
}</pre>
```







Control flow flattening







Dead code insertion

Deliberately insert instructions that will not have any effect in the computations' outcome.

mov eax, 1
mob ebx, 2
mov ecx, 3
add ebx, 4
mov eax, ebx





. . .

Encodings

Prevent a specific value to appear in clear at any point of the program execution. They are composed of an encoding function f(x) and its corresponding decoding function g(x).

f(x) = x - 0x1234g(x) = x + 0x1234

sub eax, 0x1234
push eax
add dword [esp], 0x1234
...
pop ebx

; Apply encoding function
; Push eax on the stack

add dword [esp], 0x1234 ; Apply decoding function

; Retrieve decoded value



Pattern substitution

Transform one or more adjacent instructions into a more complicated new sequence of instructions preserving semantic behavior.

push eax

lea esp, [esp - 4] push ebx
mov dword [esp], eax mov ebx,

push ebx mov ebx, esp xchg [esp], ebx pop esp mov dword [esp], eax





Pattern substitution

Transform one or more adjacent instructions into a more complicated new sequence of instructions preserving semantic behavior.

push eax

lea esp, [esp – 4] mov dword [esp], eax

push ebx mov ebx, esp xchg [esp], ebx pop esp mov dword [esp], eax





What

Transformation from an obfuscated (piece of) program *P*' into a (piece of) program *P*'' which is **easier to analyze and to extract information** than from *P*'.

$P'' \leftarrow \text{Deobfuscation} \leftarrow P'$





Considerations

Ideally $P'' \approx P$, but this is rarely the case:

- Lack of access to original program P to compare.
- Interest in specific parts rather than whole program.
- Interest in **understanding** rather than reconstructing.



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What

Informally, a Mixed Boolean-Arithmetic (MBA) expression is a mathematical expression composed of integer arithmetic operators, e.g. (+, -, *) and bitwise operators, e.g. $(\Lambda, V, \oplus, \neg)$.

More formally ...





What

An expression E of the form $E = \sum_{i \in I} a_i \left(\prod_{j \in J_i} e_{i,j}(x_1, \ldots, x_t) \right)$ where the arithmetic sum and product are modulo 2^n , a_i are constants in $\mathbb{Z}/2^n\mathbb{Z}$, $e_{i,j}$ are bitwise expressions of variables x_1, \ldots, x_t in $\{0, 1\}^n$, $I \subset \mathbb{Z}$ and for all $i \in I$, $J_i \subset \mathbb{Z}$ are finite index sets, is a **polynomial Mixed Boolean-Arithmetic** (MBA) expression

A polynomial MBA expression of the form $E = \sum_{i \in I} a_i e_i(x_1, \ldots, x_t)$ is called a **linear MBA expression**.





What

• Polynomial MBA:

 $E = 8458(x \vee y \wedge z)^{3} ((xy) \wedge x \vee t) + x + 9(x \vee y)yz^{3}$

• Linear MBA:

 $E = (x \oplus y) + 2 \times (x \wedge y)$





MBA rewriting

A chosen operator is rewritten with an equivalent MBA expression. The outcome of this process generates **rewriting rules**.

 $x + y \rightarrow (x \oplus y) + 2 \times (x \wedge y)$





Insertion of identities

Let *e* be any subexpression of the target expression being obfuscated. Then, we can write *e* as $f^{-1}(f(e))$ with *f* being any invertible function (mod 2^n).





Example

Consider $E_1 = x + y$ and the following functions f and f^{-1} on 8 bits: f(x) = 39x + 23 $f^{-1}(x) = 151x + 111$

Consider e_1 obtained by applying the previous **rewriting rule** to E_1 :

 $e_1 = (x \oplus y) + 2 \times (x \land y)$





Example

Then apply the **insertion of identities** produced by f and f^{-1} :

 $e_2 = f(e_1) = 39 \times e_1 + 23$ $E_2 = f^{-1}(e_2) = 151 \times e_2 + 111$

Finally, expand E_2 to retrieve the obfuscated expression derived from the original expression $E_1 = x + y$:

 $E_2 = 151 \times (39 \times ((x \oplus y) + 2 \times (x \wedge y)) + 23) + 111$



Complexity metrics

We can represent an MBA expression as a Directed Acyclic Graph (DAG), which identifies common subexpressions. $(+_{16})$

Complexity metrics based on DAG representation:

- Number of nodes.
- MBA Alternation.
- Average bit-vector size.

DAG representation of $2 \times (x \wedge y) + (x \wedge y)$

*y*8

 $\wedge 8$

X32

 \times_{16}

 2_{16}





Bit-blasting approach

Find a canonical representation of MBA expressions:

- Represent MBA expressions as boolean expressions by computing the effect of each operation on each bit of the resulting value.
- Use Algebraic Normal Form (ANF) to guarantee unicity: expressions obtained will only contain XOR (⊕) and AND (Λ) operators.



Bit-blasting approach

Advantages:

- Transform the problem of MBA simplification into boolean expression simplification.
- Drawbacks:
 - Canonicalization can be very expensive (in memory and time).
 - Identification of word-level expressions from boolean expressions is far from trivial.
 - Scalability issues for large number of bits.





Symbolic approach

Find an equivalent, but simpler form:

- Use existing simplification techniques for parts of the MBA expression containing only one type of operator.
- Use a term rewriting approach to create the missing link between subexpressions alternating different types of operators.
- Rewriting rules for deobfuscation can be obtained by inverting the direction of rewriting rules used for obfuscation.

 $(x \oplus y) + 2 \times (x \wedge y) \to x + y$



Symbolic approach

Advantages:

- The simplification is not impeded by an increasing number of bits.
- The representation of the expressions is far smaller than the representation in the bit-blasting approach.

Drawbacks:

- Very sensible to the size of the obfuscated expression.
- Highly dependent on the chosen set of rewriting rules.





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Program synthesis

Motivating example

Consider the following function (an obfuscated MBA expression):

 $f(x,y,z) = \left(\left((x \oplus y) + \left((x \land y) \times 2 \right) \right) \lor z \right) + \left(\left((x \oplus y) + \left((x \land y) \times 2 \right) \right) \land z \right)$

We can treat it as a **black-box** and observe its behavior:

$$(1,1,1) \longrightarrow f(x,y,z) \longrightarrow 3$$
$$(2,3,1) \longrightarrow f(x,y,z) \longrightarrow 6$$
$$(0,-7,2) \longrightarrow f(x,y,z) \longrightarrow -5$$

. . .





Program synthesis

Motivating example

$$(1,1,1) \longrightarrow f(x,y,z) \longrightarrow 3$$
$$(2,3,1) \longrightarrow f(x,y,z) \longrightarrow 6$$
$$(0,-7,2) \longrightarrow f(x,y,z) \longrightarrow -5$$

Our objective is to *learn* (*synthesize*) a simpler function with the same I/O behavior:

$$h(x, y, z) = x + y + z$$





What

Process of automatically constructing programs that satisfy a given specification.

By specification, we mean:

- Somehow "telling the computer what to do".
- Let the implementation details to be carried by the synthesizer.



Specification

• Formal specification in some logic (e.g. first-order logic):

 $\forall x \in \mathbb{Z}/2^{64}Z, P(x) = x + 7$

A set of I/O pairs that describe the program behavior:

 $(0,7), (-4,3), (123,130), (-368,-361) \dots$

• A reference implementation (oracle) to generate I/O pairs.



Approach

The nature of our problem leads to an inductive **oracle-guided** program synthesis style, using the **obfuscated code as an I/O oracle**:

- Generate a set of I/O pairs from the obfuscated code (oracle).
- Determine the best candidate program that matches the observed I/O behavior.



Practical considerations

- To construct candidate programs, we define a context-free grammar that encompasses the primitive components (terminals) and the ways to combine them (production rules).
- Set boundaries that delimit the program synthesis task (I/O pairs, terminals and derivations of the context-free grammar) and ensure that it terminates (iterations and time).
- Decide when a synthesized candidate is *valid enough* and whether to introduce some kind of equivalence checking.





Syntia (2017)

Monte Carlo Tree Search (MCTS) based stochastic program synthesis.

- Convert the problem of finding a candidate program into a stochastic optimization problem.
- At each iteration we generate intermediate results instead of actual candidate programs.
- Evolve towards a global optima (best candidate program) guided by a cost function.



Syntia (2017)

A public (and open source) implementation is available :)





QSynth (2020)

Offline enumerative program synthesis.

- Given a context-free grammar, generate *all* programs up to a certain number of derivations.
- Create *offline* lookup tables mapping each candidate program to its I/O behavior.
- Perform an exhaustive search for candidate programs matching the oracle's I/O behavior.



Existing work QSynth (2020)

Most significant contribution (IMHO): **Split** an obfuscated expression into smaller subexpressions, **synthesize** them individually and then **reconstruct** the total simplified expression.



QSynth (2020)

Unfortunately, there is no public implementation available





Limitations

- Semantic complexity.
- Non-determinism.
- Point functions.





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Components

- radare2: fully-fledged reverse engineering framework.
- ESIL: radare2 emulation engine.
- Syntia: program synthesis based framework for deobfuscation.





Integration

- Call r2syntia from an active radare2 shell were we are performing the analysis of a binary that contains obfuscated code.
- r2syntia leverages ESIL to generate the I/O pairs of values for the specified variables (registers and memory locations).
- Invoke Syntia from r2syntia with the generated I/O pairs.

$$\begin{array}{cccc} \text{cadare2} & \stackrel{r2pipe}{\longleftrightarrow} & \hline r2syntia & \longrightarrow & \\ \end{array} \end{array} \begin{array}{cccc} \text{Syntia} & \xrightarrow{} & \end{array} \end{array}$$





Result

Synthesize the code semantics of the output variable (register or memory location) with respect to the input variables (registers or memory locations).





Guided example

Non-obfuscated C



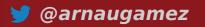


Guided example

```
uint64_t f498 (uint64_t a, uint64_t b, uint64_t c, uint64_t d, uint64_t e)
{
    uint64_t r = (b * d);
```

return r;

void target_498(uint64_t a, uint64_t b, uint64_t c, uint64_t d, uint64_t e){
 f498(a, b, c, d, e);





Guided example

Obfuscate the functions with Tigress v2.2:

- *EncodeArithmetic*: replaces the original expression with an equivalent (more complicated) MBA expression.
- *EncodeData*: encodes integer arguments before calling the function and decodes them at return.



Guided example



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uint64_t f498(uint64_t a , uint64_t b , uint64_t c , uint64_t d , uint64_t e)

uint64_t r ;

r = ((((1712295344850271019UL * (((774237912431848323UL + b) + 774237912431848323UL * ((8026696099788841706UL - 1712295344850271019UL * b) | (1712295344850271019UL * d - 8026696099788841707UL))) * ((0xf5415ab881dc147dUL + d) - 774237912431848323UL * ((8026696099788841706UL -1712295344850271019UL * b) | (1712295344850271019UL * d - 8026696099788841707UL)))) -8026696099788841707UL * ((774237912431848323UL + b) + 774237912431848323UL * ((8026696099788841706UL -1712295344850271019UL * b) | (1712295344850271019UL * d - 8026696099788841707UL))) -8026696099788841707UL * ((0xf5415ab881dc147dUL + d) - 774237912431848323UL * ((8026696099788841706UL -1712295344850271019UL * b) | (1712295344850271019UL * d - 8026696099788841707UL)))) + 6119395741359428076UL) + (((1712295344850271019UL * (((774237912431848323UL + b) + 774237912431848323UL * ((8026696099788841706UL - 1712295344850271019UL * b) | (1712295344850271019UL * (1081189609123922687UL - d) - 8026696099788841707UL))) * ((774237912431848323UL + (1081189609123922687UL - b)) + 774237912431848323UL * ((8026696099788841706UL - 1712295344850271019UL * (1081189609123922687UL - b)) (1712295344850271019UL * d - 8026696099788841707UL))) - 8026696099788841707UL * ((774237912431848323UL + b) + 774237912431848323UL * ((8026696099788841706UL - 1712295344850271019UL * b) (1712295344850271019UL * (1081189609123922687UL - d) - 8026696099788841707UL)))) - 8026696099788841707UL * ((774237912431848323UL + (1081189609123922687UL - b)) + 774237912431848323UL * ((8026696099788841706UL - 1712295344850271019UL * (1081189609123922687UL - b)) | (1712295344850271019UL * d -8026696099788841707UL)))) + 6119395741359428076UL)) - 927713760777885505UL; return (1712295344850271019UL * r - 8026696099788841707UL);



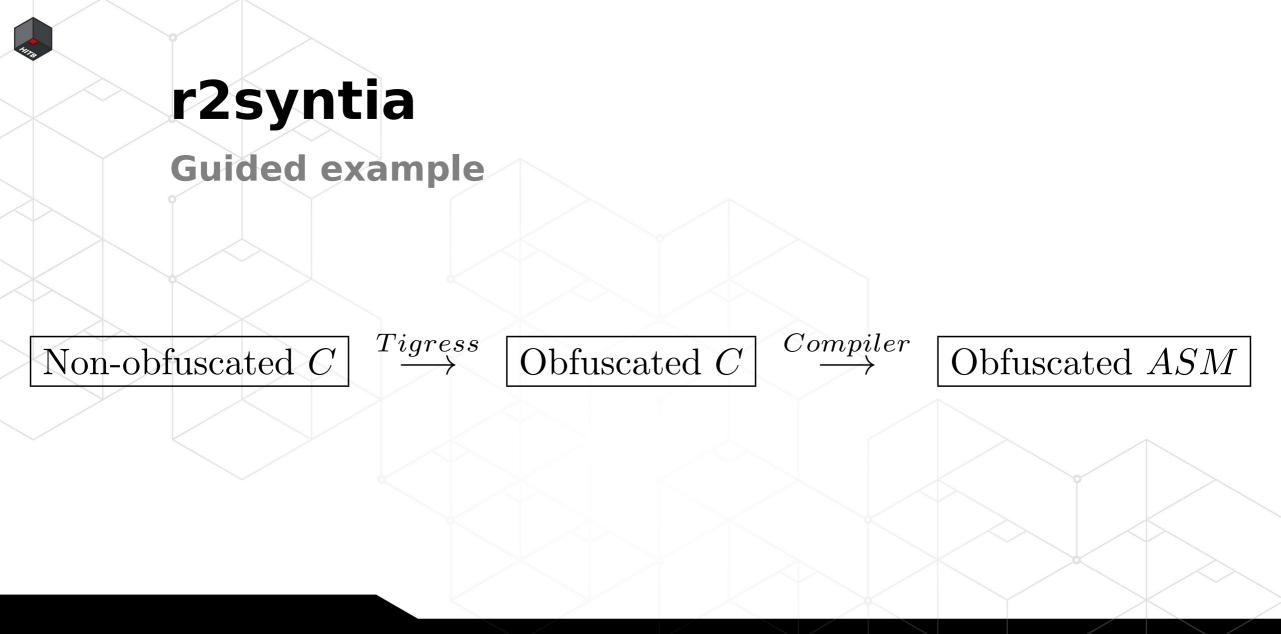
Guided example

void target_498(uint64_t a , uint64_t b , uint64_t c , uint64_t d , uint64_t e)

f498(774237912431848323UL * a + 927713760777885505UL, 774237912431848323UL * b + 927713760777885505UL, 774237912431848323UL * c + 927713760777885505UL, 774237912431848323UL * d + 927713760777885505UL, 774237912431848323UL * e + 927713760777885505UL); return;











Demo: Obfuscated ASM

Guided example

If we address the task of deobfuscating this code through a symbolic execution approach, we could obtain an expression representing the return value of the function we are analyzing, with respect to the input variables.

Let's observe the resulting obfuscated MBA expression obtained using Metasm.





File: obf_mba_expr_symbolic_498

*rsi)&0fffffffffffffffffh)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffffh)+6f648d9353ed62eah)|(((0e83c ffffh)+6f648d9353ed62eah)))&0ffffffffffffffffffffh)+((0abea5477e23eb83h*rsi)&0fffffffffffffffffffh)+0cdfe6c00c6857 41h))&0ffffffffffffffffffffh)+1)*(((0abea5477e23eb83h*((-((0e83cb474bba504d5h*((0abea5477e23eb83h*rsi)&0fffffff fffffffff)+0badf6ab6d64e962909b726cac129d15h)&0fffffffffffffffffffffffh)+909b726cac129d15h) | (((17c34b8b445afb2bh* ((0abea5477e23eb83h*rcx)&0ffffffffffffffffffffh)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffffh)+909b726c ac129d15h)))&0fffffffffffffffffffh)-((0abea5477e23eb83h*rsi)&0fffffffffffffffffffffh)+0cdfe6c00c685741h))&0ffffffff ffffffffh)-((6f648d9353ed62ebh*(((0abea5477e23eb83h*((-((17c34b8b445afb2bh*((0abea5477e23eb83h*rsi)&0fffff fffffffffh)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffh)+6f648d9353ed62eah) | (((0e83cb474bba504d5h 9353ed62eah)))&0ffffffffffffffffffh)+((0abea5477e23eb83h*rsi)&0ffffffffffffffffffffh)+0cdfe6c00c685741h))&0ffffff fffffffffh)-((6f648d9353ed62ebh*(((0abea5477e23eb83h*((-(0e83cb474bba504d5h*(0abea5477e23eb83h*rsi)&0fff re fffffffffffffh)+0badf6ab6d64e962909b726cac129d15h)&0ffffffffffffffffffffh)+909b726cac129d15h) | (((17c34b8b445afb ffffffffffffh)+(((((17c34b8b445afb2bh*(((0abea5477e23eb83h*((-((17c34b8b445afb2bh*((0abea5477e23eb83h*rsi)& 0fffffffffffffffffffh)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffffh)+6f648d9353ed62eah)|(((17c34b8b445 afb2bh*((0abea5477e23eb83h*rcx)&0fffffffffffffffffff)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffff 09b726cac129d15h)))&0ffffffffffffffffffh)+((0abea5477e23eb83h*rsi)&0ffffffffffffffffffffffh)+0cdfe6c00c685741h))&0f ffffffffffffffh)+1)*(((0abea5477e23eb83h*rcx)&0fffffffffffffffffffffh)-((0abea5477e23eb83h*((-((17c34b8b445afb2 bh*((@abea5477e23eb83h*rsi)&@ffffffffffffffffffff)+131f0149f036dde6f648d9353ed62ebh)&@ffffffffffffffffffffffff d9353ed62eah) | (((17c34b8b445afb2bh*((0abea5477e23eb83h*rcx) & 0ffffffffffffffffffff) + 131f0149f036dde6f648d9353ed 62ebh)&0fffffffffffffffffffh)+909b726cac129d15h)))&0fffffffffffffffffffffh)+1022141788e446bbeh))&0fffffffffffffffffffffffff)-((6f648d9353ed62ebh*(((0abea5477e23eb83h*((-((17c34b8b445afb2bh*((0abea5477e23eb83h*rsi)&0fffffffffffffff)))&0ffffffffffffffffffh)+((0abea5477e23eb83h*rsi)&0fffffffffffffffffffh)+0cdfe6c00c685741h))&0ffffffffffffffffffff 2bh*((0abea5477e23eb83h*rsi)&0ffffffffffffffffff)+131f0149f036dde6f648d9353ed62ebh)&0fffffffffffffffffffff 8d9353ed62eah) | (((17c34b8b445afb2bh*((0abea5477e23eb83h*rcx) & 0ffffffffffffffffffff) + 131f0149f036dde6f648d9353e d62ebh)&0ffffffffffffffffffh)+909b726cac129d15h)))&0fffffffffffffffffffffh)+0cdfe6c00c685741h))&0fffffffffffffffff)))&0fffffffffffffffffh)+909b726cac129d15h



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Guided example

Observe that the syntactic complexity of this expression makes it unapproachable and useless to derive any understanding from it.

However, its semantic behavior is fairly simple. Thus, we can leverage r2syntia to extract the actual code semantics.



Demo: r2syntia

Publication

Already published!

Go play with it: https://github.com/arnaugamez/r2syntia





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Takeaways

- MBA expressions can be leveraged to obfuscate the data-flow of a program.
- Current deobfuscation techniques (e.g. symbolic execution) to address simplification of this type of data-flow obfuscation are limited by being strongly tied to syntactic complexity.
- Novel program synthesis approaches allow to reason about the semantics of the obfuscated code (instead of syntax).



Future work

Theoretical continuation:

• Further study and formalization of MBA expressions' treatment. Practical continuation:

- Improve r2syntia (WIP).
- Implement an (open source) solution for subexpressions' synthesis.
- Detect patterns and memorize synthesized tasks.





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